

JEL classification: F31, G11, G15

Keywords: commodity trading advisors (CTAs), foreign exchange rate, carry trade

US Dollar Carry Trades in the Era of “Cheap Money”*

Ali SHEHADEH—Queen’s University Belfast and The University of Jordan
(ashehadeh02@qub.ac.uk)

Péter ERDŐS —RPM Risk and Portfolio Management AB, Stockholm (peter.erdos@rpm.se)

Youwei LI—Queen’s Management School, Queen’s University Belfast (y.li@qub.ac.uk),
corresponding author

Michael MOORE—Warwick Business School, University of Warwick and Ghent University
(Michael.Moore@wbs.ac.uk)

Abstract

In this paper, we employ a unique dataset of actual US dollar (USD) forward positions against a number of currencies taken by so-called commodity trading advisors (CTAs). We investigate the extent to which these positions exhibit a pattern of USD carry trading or other patterns of currency trading over the recent period of ultra-loose US monetary policy. Our analysis indeed shows that USD positions against emerging-market currencies are characterised by a pattern of carry trading. That is, the US dollar, as the lower-yielding currency, is associated with short positions. The payoff distributions of these positions, moreover, are found to have positive Sharpe ratios, negative skewness and high kurtosis. On the other hand, we find that USD positions against other developed-market currencies have a pattern completely opposite to carry trading, which is in line with the uncovered interest parity trading; i.e. the lower-yielding (higher-yielding) currency is associated with long (short) positions.

1. Introduction

In this paper, we employ and analyse a unique dataset of actual USD forward positions versus a number of emerging- and developed-market currencies. Our objective is to shed light on the characteristics of the currency trading styles implied by these positions during a recent sample period, with emphasis on USD carry trading.¹ The motivation behind this emphasis is the near-zero US interest rate over the vast majority of our sample period.

Currency carry trading implies that traders invest in higher-yielding currencies (investment or target currencies) using borrowings in lower-yielding currencies (funding currencies). So, by “USD carry trading” we mean the carry trades in which

* This paper is part of a project called “The Efficiency of Futures Markets”. This is a joint cooperation program between Ghent University, Belgium; Queen’s University Belfast, UK; and the alternative investment specialist RPM Risk & Portfolio Management AB of Stockholm, Sweden. The program is funded by the European Commission’s Marie Curie Actions Industry-Academia Partnerships and Pathways. We would like to thank Per Ivarsson and Alexander Mende for their helpful comments.

¹ Generally speaking, carry trade strategies attempt to capitalize on yield differentials between financial instruments. Specifically, carry trades involve investments in higher-yielding instruments financed by borrowings in lower-yielding instruments. Kojen *et al.* (2013) broadly define a carry of an asset as “its expected return assuming that its price does not change”. They find that carry is a common phenomenon existing among a variety of asset classes such as equities, commodities, bonds, treasuries, currencies, credit and index options. More importantly, they demonstrate the ability of carry to predict returns on these asset classes.

the US dollar is the funding currency. Under the assumption of the covered interest rate parity (CIP), this strategy can be implemented in the foreign exchange (FX) forward markets by taking long positions in currencies which are traded on the forward discount (high-interest-rate currencies) and short positions in currencies which are traded on the forward premium (low-interest-rate currencies). The motivation behind currency carry trading is the well-established finding of the downward bias in the unbiasedness hypothesis (UH) predictions, i.e. the forward premium bias puzzle (see, for example, Fama, 1984; Frankel and Chinn, 1993; Bansal and Dahlquist, 2000; and Frankel and Poonawala, 2010, among others). The standard expression of this hypothesis is through the Fama regression of:²

$$s_{t+k} - s_t = \alpha + \beta \left(fp_t^k \right) + \varepsilon_{t+k} \quad (1)$$

where s_t (s_{t+k}) is the natural log of the spot exchange rate at time t ($t+k$), fp_t^k is the forward premium (log difference of the k -period forward rate and spot rate at time t) and ε_{t+k} is the error term. The null hypothesis is that $\alpha = 0$, $\beta = 1$ and ε_{t+k} is a white noise process which implies that the currency excess return is expected to be zero.

In contrast, the well-documented finding of significantly less than unity and, more often, a negative slope coefficient implies that a positive currency excess return can be achieved by trading on currency interest differentials (on the carry). Carry trades have been found to be profitable on average with an attractive Sharpe ratio compared to stock and bond markets (see, for example, Hochradl and Wanger, 2010; Pojarliev, 2005; Burnside *et al.*, 2006, 2007, 2008; Gilmore and Hayashi, 2011; Menkhoff *et al.*, 2012). The traditional common target currencies are found to include the Australian dollar, New Zealand dollar, Mexican peso, Brazilian real and Indian rupee, while funding currencies include mainly the Japanese yen and the Swiss franc (see Bilson, 2013; Galati and Melvin, 2004; Galati *et al.*, 2007; McGuire and Upper, 2007; Gagnon and Chaboud, 2007; Curcuru *et al.*, 2010).

In the wake of the 2007–2008 financial crisis, many countries, especially developed countries including the United States, adopted unconventional loose monetary policies with the purpose of stimulating their sluggish and unstable economies. This period is termed in the financial press as “the era of cheap money”. On the other hand, other countries, especially emerging markets, maintained relatively high interest rates over the same period. Because of the potential impact of these effects on the trading decisions of FX traders, it is worthwhile to consider currency trading in general and USD carry trading in particular over the sample period of the paper. For example, Gilmore and Hayashi (2011) find a strong relation between currency excess return and the carry. Spronk *et al.* (2013) show that the more important the interest-rate differential, the more attractive the currency carry trading. It is also suggested that the relatively high-yielding emerging markets have been major recipients of carry trade flows in the wake of the crisis, and that this flow represents a “global search for yield”, which is triggered by the unconventional expansionary monetary policy of developed economies (see, for example, Kim, 2015;

² Named after the influential work of Fama (1984).

Mishra *et al.*, 2014). For a set of major currencies, Brière and Drut (2009) document the superiority of “fundamentals-based” trades over carry trades when uncertainty is high.

In light of this, the crux of the paper is to analyse our dataset of the USD forward *positions* to find out the extent to which they show characteristics of USD carry trading or another trading strategy over the recent period of record-low US interest rates. In other words, we investigate whether these positions exhibit a response to the very low US interest rates by having a pattern of USD carry trading or if other patterns of trading strategies can be identified across different currency markets. The distinctive feature of this study is that we have access to a dataset of daily-aggregated USD forward positions against a number of developed- and emerging-market currencies. This dataset is collected from a Swedish investment specialist, Risk & Portfolio Management AB (RPM), which is a fund of hedge funds investing in managed futures strategies which are also known as commodity trading advisors (CTAs). CTAs engage in various strategies like trend-following, short-term trading and global macro that often employ carry trading as a sub-strategy.

By exploiting and analysing our private dataset, we find significant long-run equilibrium relationships which directly relate the USD forward positions to their forward premium. The relationships point to different trading strategies for emerging- and developed-market currencies. For emerging-market currencies, we find that these relationships are consistent with carry trading, i.e. the lower-yielding currency (USD) is associated with short positions and *vice versa*. This carry trading pattern of forward shorting a lower-yielding currency is induced by the expectations that the lower-yielding currency will not actually appreciate as much on average as the forward rate implies, or it will even depreciate. This in turn implies a profit at maturity on average. On the other hand, we find that the reverse holds between the US dollar and developed-market currencies. In other words, we find a pattern of “fundamentals-based” trading consistent with the uncovered interest parity condition. That is, the lower-yielding (higher-yielding) currency is associated with more long (short) positions. These anti-carry positions can reflect the unattractiveness of the USD carry trading against developed-market currencies due to the increased uncertainty and narrow interest differentials for these markets over the period following the recent crisis.

Given that our data set is collected from FX traders, which are mainly trend followers, the results of the different trading strategies for emerging-market and developed-market currencies shed some light on the trading behavior of this group of FX market participants. On the one hand, the characteristics of carry trades for emerging-market currencies, which involve a long high-interest currency against a low-interest-rate currency, reflect a trend-following strategy based on the expectation that a high-interest-rate currency will appreciate—i.e. based on the appreciation trend of the high-interest-rate currency. On the other hand, the characteristics of “fundamentals-based” trades for developed-market currencies which involve a long low-interest-rate currency against a high-interest-rate currency reflect a trend-following strategy which is based on the expectations that the low-interest-rate currency will appreciate—i.e. based on the appreciation trend of the low-interest-rate currency. This is in line with the heterogeneous agents model developed by Spronk *et al.* (2013), which demonstrates that depending on the dominant trend in the market,

FX trend followers can be in the same line of either carry traders or fundamentalists. In this sense, our results provide some insights into these features of FX trend-following traders.

Our work is also mainly related to the studies of tracking and providing evidence on currency carry trading. The findings of the existing studies on tracking carry trading activities are, to a large extent, deemed implicit and indirect. This is because they only use publicly available datasets such as Bank for International Settlements (BIS) reports and statistics, FX turnovers and FX futures positions (see Galati *et al.*, 2007; McGuire and Upper, 2007; Gagnon and Chaboud, 2007; Curcuru *et al.*, 2010). In contrast, our dataset enables us to document a direct relationship between forward positions and the forward premium, thus providing explicit evidence on these activities. Despite speculation that “the unprecedented low interest rates of the US could have induced large-scale carry trades against high-yielding emerging-market currencies” (Aizenman *et al.*, 2014), the existing literature, to our knowledge, lacks such direct evidence on this trend, especially in currency forward markets. Tracking currency carry trades is important because of such trades’ vital implications. For example, identifying periods of increasing carry trades is relevant, as it has been suggested and found that carry trades increase the risk of currency crashes for investment currencies (see, for example, Brunnermeier *et al.*, 2008; Breedon *et al.*, 2016) and that a sudden and massive unwinding of carry positions can contribute substantially to the volatility shocks of the FX and other financial markets, especially for target countries (see, for example, Gagnon and Chaboud, 2007; Nishigaki, 2007; Galati *et al.*, 2007; Eichengreen and Gupta, 2014; Mishra *et al.*, 2014). Therefore, tracking carry trades can help enhance the understanding of markets’ volatility dynamics. Currency carry trades can also play a role in the violation of the uncovered interest parity (UIP) by creating “self-enforcing” speculation opportunities which are intensified by the FX trend followers (see, e.g. Plantin and Shin, 2007; Gagnon and Chaboud, 2007; Spronk *et al.*, 2013).

Moreover, our dataset allows us to analyse the performance of actual and not synthetic carry trading strategies. Earlier papers relying on hypothetical carry positions, assuming short positions in lower-yielding currencies and long positions in higher-yielding currencies, have found carry trades to be profitable. These studies have also documented high kurtosis and negative skewness for carry trade returns (see, for example, Burnside *et al.*, 2008; Burnside *et al.*, 2007; Burnside *et al.*, 2006; Menkhoff *et al.*, 2012). In contrast to these studies, we evaluate the performance of actual USD positions against emerging-market currencies where we have explicit evidence that carry trades were being executed. We investigate the extent to which the properties documented based on synthetic positions also apply to our actual positions.

The remainder of the paper is organized as follows: Section 2 describes the dataset and Section 3 explains the methodology. The results are presented in Section 4 and Section 5 concludes the paper.

2. Data

The empirical analysis in the paper draws on a private dataset.³ For the analysis, we employ a dataset of daily-aggregated short-term long and short USD forward positions against various developed- and emerging-market currencies. The complete

dataset contains the positions' forward rate (F), spot rate (S), maturity date and the spot rate that transpired ex-post at the maturity date. The source of the dataset is RPM Risk & Portfolio Management AB (RPM), a specialist investment manager based in Stockholm, Sweden. RPM is a fund-of-funds specializing in managed futures strategies, i.e. CTAs and liquid global macro managers that trade in many futures markets such as currencies, bonds, equity indices and many other commodity futures.

It is well known that trend following is the strategy most widely used by CTAs. Galati and Melvin (2004) and Galati *et al.* (2007) point to the increasingly active role of CTAs in the FX market and their engagement in currency carry trades. Spronk *et al.* (2013) study the interactions of fundamental, trend-following and carry trade strategies in a theoretical model. They argue that carry traders have a directional role in driving the UH beta. When interest-rate differentials are persistent, carry traders introduce momentum effects in a currency that is picked up and extrapolated by trend followers. Furthermore, it is only due to the existence of trend followers that carry traders can have such a profound effect on FX markets.

We have daily-aggregated short-term USD forward positions against twelve developed- and emerging-market currencies. The developed-market currencies include EUR, JPY, GBP, CHF, SEK and CAD, while emerging market currencies include INR, BRL, MYR, ZAR, CLP and MXN. Spot and forward exchange rates are expressed where the USD is the base currency (other currency units per 1 USD). From these positions, we construct a variable which we call "net position" NP. Against every other currency, the daily-aggregated NP in terms of the US dollar is calculated as the net of the long and short USD positions, i.e. the USD long positions minus short positions:

$$NP_t = \sum_{p=1}^m Pos_{p,t}^L - \sum_{p=1}^m Pos_{p,t}^S \quad (2)$$

where m is the number of position takers, and Pos^j , $j = L, S$ is the position held in the currency, long and short, respectively.

Positive (negative) NP, therefore, implies a net long (short) position in USD against the other currency. NP is typically stationary so that in our cointegration analysis in this paper, we make use of the cumulative net position (CNP). CNP is the cumulative sum of the NP series: by construction, it is I(1) and its first difference is NP.

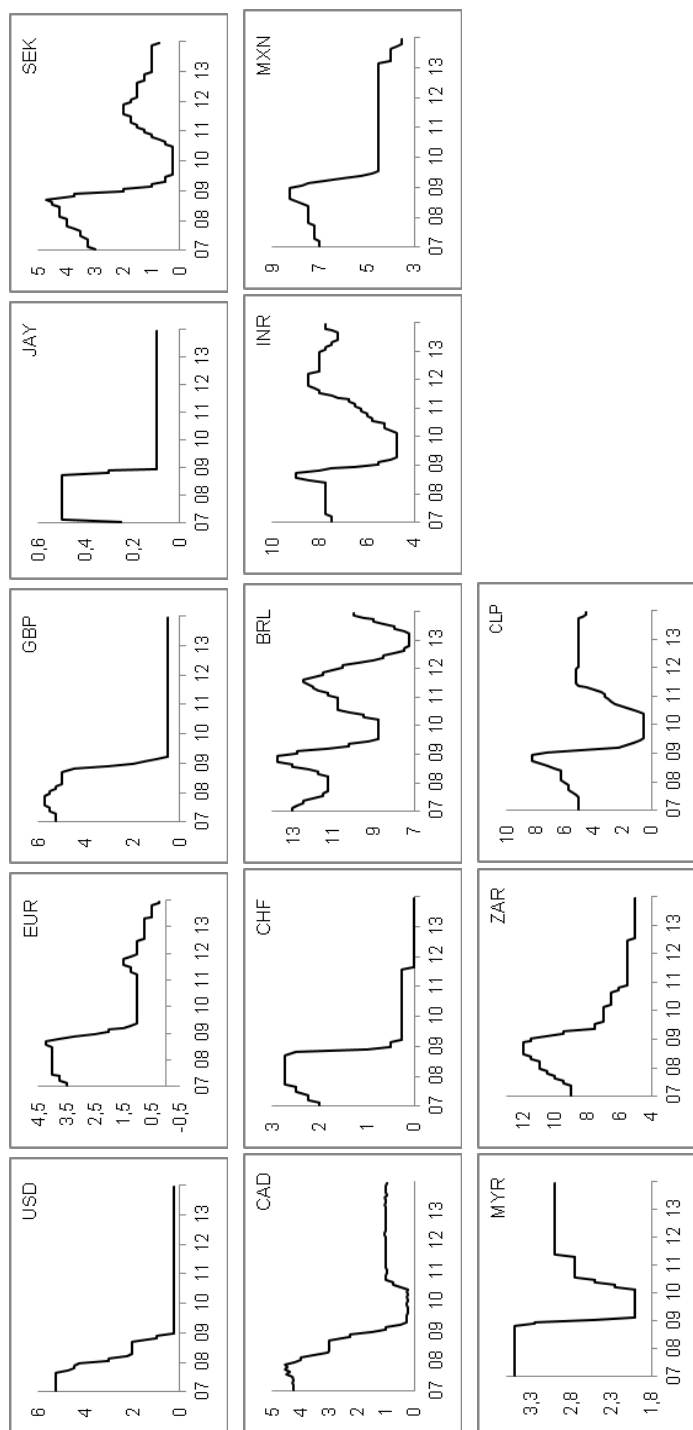
³ In contrast to earlier works, this paper overcomes the deficiencies of commonly used datasets in measuring carry trade activity by examining a unique dataset. One of the datasets most often used to investigate currency carry trades is non-commercial "position takers" net positions in currency futures traded on the Chicago Mercantile Exchange which is available at weekly frequency through the Commitments of Trader Reports. However, these datasets have several drawbacks. First, the number of reported currencies is limited, as a currency is reportable only if there is a minimum of twenty or more traders. Second, the reported currency positions are all against the US dollar; there are no reported positions for different currency pairs such as JPY against AUD or CHF against GBP. Finally, the definition of non-commercial traders as "position takers" has its own limitations. Another commonly used dataset is the BIS international banking statistics and other similar reports issued by other entities where cross-border lending and borrowing by currency are reported. The main problem with these datasets is that it is difficult to differentiate the true carry positions from other carry-unrelated positions. For a detailed overview, the reader may refer to Curcuro *et al.* (2010).

Table 1 Descriptive Statistics

Currency pair	Sample period	NP				$\Delta s\%$				fp%			
		Mean	STD	Min	Max	Mean	STD	Skewness	Kurtosis	Mean	STD	Skewness	Kurtosis
INR/USD	07/09/2007–06/11/2013	-0.73	8.93	-114.27	44.60	0.03	0.55	0.16	6.45	0.58	0.71	3.52	48.67
BRL/USD	02/01/2007–06/11/2013	-0.48	9.25	-83.95	152.54	0.004	1.01	0.56	13.35	0.60	0.67	0.23	11.20
MYR/USD	03/04/2008–06/11/2013	-1.14	9.69	-107.40	52.30	0.000	0.44	-0.25	5.68	0.21	0.20	0.63	5.80
ZAR/USD	05/01/2007–06/11/2013	-0.02	0.94	-8.62	9.23	0.02	1.11	0.51	8.47	0.17	0.59	1.34	16.93
CLP/USD	02/01/2007–06/11/2013	-0.54	8.56	-67.30	72.53	-0.002	0.73	0.85	10.24	0.35	0.49	0.54	4.35
MXN/USD	09/07/2007–06/11/2013	-0.06	1.54	-14.85	10.42	0.01	0.81	0.69	13.44	0.13	0.51	-1.96	43.39
EURO/USD	30/08/2006–06/11/2013	0.08	5.71	-42.52	36.93	-0.003	0.66	-0.14	6.58	-0.02	0.32	1.20	28.42
JPY/USD	30/08/2006–06/11/2013	0.11	5.03	-33.24	34.92	-0.01	0.71	-0.23	7.44	-0.06	0.38	-3.34	42.12
GBP/USD	30/08/2006–06/11/2013	-0.12	6.29	-64.56	37.65	0.01	0.66	0.09	7.92	0.005	0.28	-0.56	11.01
CHF/USD	30/08/2006–06/11/2013	0.05	4.18	-20.83	27.60	-0.02	0.73	0.69	16.73	-0.05	0.34	-0.95	13.44
SEK/USD	30/08/2006–06/11/2013	0.004	1.99	-15.62	16.77	-0.01	0.89	-0.20	6.20	0.01	0.40	-0.32	11.60
CAD/USD	30/08/2006–06/11/2013	-0.20	4.44	-31.63	28.72	-0.003	0.70	-0.09	8.22	0.02	0.32	0.11	8.88

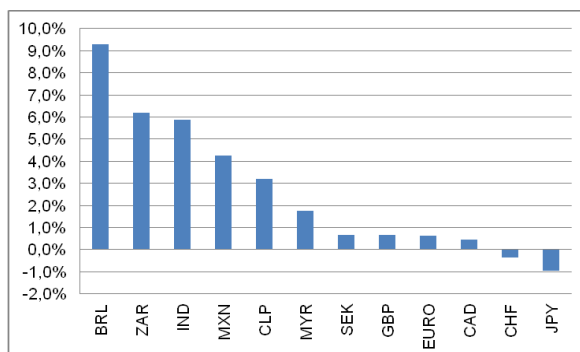
Notes: The US dollar is the base currency. NP is daily-aggregated net position in millions of US dollars, calculated as USD long positions minus USD short positions against every other currency. Δs is spot rate change in the log difference. fp is calculated as $(\text{Log}F - \text{Log}S) \cdot 100$.

Figure 1 Benchmark Policy Rates over the Sample Period



Note: End-of-month value of the benchmark policy interest rate for every currency obtained from DataStream.

Figure 2 Average Interest-Rate Differentials



Note: The interest-rate differential is calculated as the other currency interest rate minus the USD interest rate.

Table 1 reports the sample period for every currency pair along with descriptive statistics of the variables of interest. We note that the US dollar typically has net short (long) positions whenever it is at a forward premium (discount), except for in the case of the SEK/USD pair.

Figure 1 depicts the benchmark policy interest rate for every country in the sample. The main feature to be noticed is the difference between developed- and emerging-market interest rates. For developed countries including the US, we can see a pattern of very low interest rates during the period after late 2008. For emerging countries, though many have cut their rates, they still have maintained relatively high interest rates. This further motivates the study of carry trading during the sample period.

To make this clearer, Figure 2 depicts the monthly average of interest-rate differentials, calculated as the other currency interest rate minus the USD interest rate. We obviously note very low interest-rate differentials between the developed-market currencies and US dollar compared to those of emerging-market currencies.

3. Methodology

The existence of a cointegrated relationship between variables implies that there is a long-run equilibrium relationship binding them together, which also reveals important insights about their dynamic behavior. Thus, multivariate Johansen cointegration analysis techniques are employed to test for the existence and the number of cointegrated relationships between the USD forward positions (CNP), spot exchange rates ($LogS$) and forward exchange rates ($LogF$) in order to investigate how they are related over the long run. We employ cointegration analysis, as we first intend to document whether or not these variables are cointegrated, which implies that there are common forces driving the variables over the long run, and then this is used to cast light on what the resulting cointegrated relationships imply for currency trading styles. The cointegration setup has the advantage that it provides an overview of how the variables are related over the long run with a more dynamic framework apart from the possible short-run deviations on the observation-by-observation basis.

Given that there is a significant long-run equilibrium relationship binding our variables together, a vector error correction mechanism (VECM) can be estimated

according to Engel and Granger (1987). Such a VECM as specified below, along with an unrestricted VAR model, will enable us to evaluate the relationships between the variables and investigate the direction of causality among them.

$$\Delta CNP_t = \phi_1 + \alpha_1 \hat{e}_{t-1} + \sum_{i=1}^n \delta_{1i} \Delta CNP_{t-i} + \sum_{i=1}^n \gamma_{1i} \Delta \text{Log} S_{t-i} + \sum_{i=1}^n \psi_{1i} \Delta \text{Log} F_{t-i} + \varepsilon_{1t} \quad (3)$$

$$\Delta \text{Log} S_t = \phi_2 + \alpha_2 \hat{e}_{t-1} + \sum_{i=1}^n \delta_{2i} \Delta CNP_{t-i} + \sum_{i=1}^n \gamma_{2i} \Delta \text{Log} S_{t-i} + \sum_{i=1}^n \psi_{2i} \Delta \text{Log} F_{t-i} + \varepsilon_{2t} \quad (4)$$

$$\Delta \text{Log} F_t = \phi_3 + \alpha_3 \hat{e}_{t-1} + \sum_{i=1}^n \delta_{3i} \Delta CNP_{t-i} + \sum_{i=1}^n \gamma_{3i} \Delta \text{Log} S_{t-i} + \sum_{i=1}^n \psi_{3i} \Delta \text{Log} F_{t-i} + \varepsilon_{3t} \quad (5)$$

where ϕ are constants, α are adjustment coefficients, \hat{e}_{t-1} is the error correction term and ε are error terms.

In the framework of an unrestricted VAR model, specified similarly as in the equations above but with the exclusion of the error correction term \hat{e}_{t-1} , i.e. setting $\alpha = 0$, a Granger Causality/Block Exogeneity Wald test is performed to determine whether the lags of other variables Granger cause the respective dependant variable. In other words, the test shows whether the lags of other variables can be excluded from the respective dependent variable equation without losing relevant information.

For example, in the ΔCNP_t equation we can test the joint null hypothesis for the coefficients of $\Delta \text{Log} S$ lags as $\gamma_{1i} = \dots = \gamma_{1n} = 0$ and similarly for $\Delta \text{Log} F$ lags as $\psi_{1i} = \dots = \psi_{1n} = 0$, and we can test for the coefficients of the two variables' lags together as $\gamma_{1i} = \dots = \gamma_{1n} = \psi_{1i} = \dots = \psi_{1n} = 0$. This test will provide insights on the Granger causality among the variables, as well as the exogeneity/endogeneity of the variables.

For the cases in which we have evidence on carry trading, we evaluate the performance of this trading strategy and investigate the properties of its payoff distribution. For every trading day, we calculate the payoff of all positions taken. The daily-aggregated payoff (π_t) in terms of the quote currency is then computed as follows:

$$\pi_t = \sum_{p=1}^m \text{Pos}_{p,t} (S_{p,t+k} - F_{p,t}) \quad (6)$$

where *Pos* stands for long and short positions where long positions take a positive sign and short positions take a negative sign, S_{t+k} is the spot rate at the position's maturity and F is the position's forward rate.

4. Empirical Results

4.1 USD Forward Positions and Forward Premium/Discount

Recall that in the FX forward market, the carry trading condition implies taking short positions in (i.e. selling forward) the currency that is at a forward premium and taking long positions in (i.e. buying forward) the currency that is

Table 2 Stationarity Tests for Emerging Markets

	CNP		LogF		LogS		
	Con	Con&Trend	Con	Con&Trend	Con	Con&Trend	
ADF Test							INR/USD
Level	0.8675	0.8878	0.8714	0.7839	0.9063	0.8699	
First Diff	0.0000	0.0000	0.0001	0.0000	0.0000	0.0000	
PP Test							
Level	0.8618	0.8673	0.8741	0.7739	0.8722	0.7921	
First Diff	0.0000	0.0000	0.0001	0.0000	0.0000	0.0000	
ADF Test							BRL/USD
Level	0.4607	0.8153	0.5680	0.5619	0.4920	0.4926	
First Diff	0.0000	0.0000	0.0000	0.0000	0.0000	0.0000	
PP Test							
Level	0.4735	0.8538	0.5054	0.5023	0.4716	0.4801	
First Diff	0.0000	0.0000	0.0000	0.0000	0.0000	0.0000	
ADF Test							MYR/USD
Level	0.8950	0.9328	0.5510	0.5297	0.5722	0.5526	
First Diff	0.0000	0.0000	0.0000	0.0000	0.0000	0.0000	
PP Test							
Level	0.8908	0.9116	0.5708	0.5482	0.5819	0.5630	
First Diff	0.0000	0.0000	0.0000	0.0000	0.0000	0.0000	
ADF Test							ZAR/USD
Level	0.3851	0.4011	0.5504	0.7716	0.5849	0.8036	
First Diff	0.0000	0.0000	0.0000	0.0000	0.0000	0.0000	
PP Test							
Level	0.3712	0.3548	0.6198	0.8240	0.6027	0.8167	
First Diff	0.0000	0.0000	0.0000	0.0000	0.0000	0.0000	
ADF Test							CLP/USD
Level	0.8543	0.2683	0.2045	0.4759	0.1673	0.4082	
First Diff	0.0000	0.0000	0.0000	0.0000	0.0000	0.0000	
PP Test							
Level	0.8808	0.3659	0.1634	0.3949	0.1744	0.4083	
First Diff	0.0000	0.0000	0.0000	0.0000	0.0000	0.0000	
ADF Test							MXN/USD
Level	0.7920	0.1669	0.1522	0.4128	0.1831	0.4796	
First Diff	0.0000	0.0000	0.0000	0.0000	0.0000	0.0000	
PP Test							
Level	0.7988	0.1502	0.1570	0.4230	0.1697	0.4501	
First Diff	0.0000	0.0000	0.0000	0.0000	0.0000	0.0000	

Notes: This table reports the *p*-values of Augmented Dickey-Fuller, ADF and Phillips-Perron, and PP tests. Con is constant. The *p*-values are based on MacKinnon (1996).

Table 3 Stationarity Test for Developed Markets

	CNP		LogF		LogS		
	Con	Con&Trend	Con	Con&Trend	Con	Con&Trend	
ADF Test							EUR/USD
Level	0.9283	0.7269	0.1220	0.1901	0.1291	0.2026	
First Diff	0.0001	0.0000	0.0000	0.0000	0.0000	0.0000	
PP Test							EUR/USD
Level	0.9315	0.7337	0.1048	0.1617	0.1050	0.1663	
First Diff	0.0001	0.0000	0.0000	0.0000	0.0000	0.0000	
ADF Test							JPY/USD
Level	0.1326	0.0803	0.4403	0.9726	0.4417	0.9678	
First Diff	0.0000	0.0000	0.0001	0.0000	0.0001	0.0000	
PP Test							JPY/USD
Level	0.1573	0.1104	0.4614	0.9822	0.4625	0.9824	
First Diff	0.0000	0.0000	0.0001	0.0000	0.0001	0.0000	
ADF Test							GBP/USD
Level	0.0574	0.0081	0.4506	0.7471	0.4624	0.7667	
First Diff	0.0000	0.0000	0.0000	0.0000	0.0000	0.0000	
PP Test							GBP/USD
Level	0.1266	0.0589	0.4787	0.7866	0.4660	0.7637	
First Diff	0.0000	0.0000	0.0000	0.0000	0.0000	0.0000	
ADF Test							CHF/USD
Level	0.1001	0.0577	0.4672	0.3058	0.4641	0.2996	
First Diff	0.0001	0.0000	0.0000	0.0000	0.0000	0.0000	
PP Test							CHF/USD
Level	0.1349	0.0769	0.4761	0.3039	0.4781	0.2983	
First Diff	0.0001	0.0000	0.0000	0.0000	0.0000	0.0000	
ADF Test							SEK/USD
Level	0.0628	0.0420	0.1664	0.3988	0.1555	0.3801	
First Diff	0.0000	0.0000	0.0000	0.0000	0.0000	0.0000	
PP Test							SEK/USD
Level	0.1438	0.1414	0.1967	0.4441	0.2011	0.4558	
First Diff	0.0000	0.0000	0.0000	0.0000	0.0000	0.0000	
ADF Test							CAD/USD
Level	0.7648	0.1328	0.1861	0.3838	0.1689	0.3499	
First Diff	0.0000	0.0000	0.0000	0.0000	0.0000	0.0000	
PP Test							CAD/USD
Level	0.8044	0.2187	0.1718	0.3495	0.1624	0.3298	
First Diff	0.0000	0.0000	0.0000	0.0000	0.0000	0.0000	

Notes: This table reports the p -values of Augmented Dickey-Fuller, ADF and Phillips-Perron, and PP tests. Con is constant. The p -values are based on MacKinnon (1996).

at a forward discount. Therefore, the conjecture is that, based on our cointegration analysis for every currency pair, finding (or not) a long-run equilibrium relationship meeting this condition would provide direct evidence on the position-takers' behavior with respect to USD carry trading over the sample period of the paper.

Tables 2 and 3 report the results of the two specifications of the ADF and PP stationarity tests for emerging- and developed-market currencies, respectively. The results reveal that the variables in level exhibit a unit root, but not in their first differences, i.e. they are integrated of order one.

These results enable us to proceed to test for the existence and the number of cointegrated relationships among variables using Johansen cointegration tests. Table 4 reports the results of trace statistic and maximum eigenvalue tests. Both test statistics indicate the existence of only one cointegrated equation between CNP , $LogS$ and $LogF$, except for the GBP/USD case, where both statistics indicate two cointegrated vectors.

In Panel A of Table 5 we report the variables' cointegration coefficients normalized on CNP^4 and in Panel B we report the results of a significance test on the coefficients. For the emerging-market currencies, the three variables have significant cointegration coefficients at the 5% significance level. For the developed-market currencies, $LogS$ and $LogF$ have significant cointegration coefficients at the 1% significance level, but results vary with respect to CNP . In the JPY/USD, CHF/USD and SEK/USD equations, CNP 's coefficient is significant at the 1% level, whereas it is significant only at the 10% level in the EUR/USD case and insignificant in the GBP/USD and CAD/USD cases. A cointegration relationship between the spot and forward rates is normally expected. So, the point to be noticed here is the significant cointegration coefficient of the CNP for most of the cases.

In order to illustrate what the resulting cointegration equations imply for USD carry trading, we take the INR/USD case as an example. The cointegration vector is in the form $CNP = 154.66 LogS - 152.41 LogF - 8.399$.

With a simple rearrangement, we have:

$$CNP = 152.41 Log(S/F) + 2.24 LogS - 8.399$$

where $Log(S/F)$ is the forward premium/discount on the base currency. Apart from the scale differences, the positive sign of the forward premium/discount coefficient is particularly interesting. The cointegration equation above implies that an increase in $Log(S/F)$ —which means that the base currency is at a discount in the forward market—is associated with an increase in CNP (i.e. more long positions in the base currency) and *vice versa*.

Table 6 reports the cointegration equation for every currency pair. Note that the same relationship, as described above, holds for all emerging-market currencies, but it is the *opposite* for developed-market currencies. For emerging-market currencies, the relationships between the USD forward positions and forward premium are in line with the carry trading condition. As the US dollar is the lower-yielding

⁴ Note that the cointegrating coefficients of $LogF$ and $LogS$ appear to be equal though opposite in sign. In the Appendix, we formally test this restriction. We find that, at the 5% significance level, the restriction is rejected for all cases except for MYR/USD, MXN/USD and CHF/USD.

Table 4 Johansen Cointegration Test Results

Currency Pair	Hypothesized no. of CE(s)	Eigen-value	Trace Statistic	Critical Value 95% (Trace)	p-value	Max-Eigen Statistic	Critical Value 95% (Max-Eigen)	p-value
INR/USD	None	0.0870	127.755**	29.797	0.0000	123.825***	21.132	0.0001
	At most 1	0.0026	3.930	15.495	0.9091	3.551	14.265	0.9035
BRL/USD	None	0.0668	103.891***	29.797	0.0000	95.419***	21.132	0.0000
	At most 1	0.0043	8.472	15.495	0.4163	5.909	14.265	0.6250
MYR/USD	None	0.2123	274.263***	29.797	0.0001	261.789***	21.132	0.0001
	At most 1	0.0111	12.473	15.495	0.1356	12.231	14.265	0.1023
ZAR/USD	None	0.0659	102.145***	29.797	0.0000	97.194***	21.132	0.0000
	At most 1	0.0025	4.951	15.495	0.8140	3.522	14.265	0.9060
CLP/USD	None	0.0446	68.142***	29.797	0.0000	61.161***	21.132	0.0000
	At most 1	0.0049	6.980	15.495	0.5799	6.525	14.265	0.5468
MXN/USD	None	0.1165	182.167***	29.797	0.0001	175.708***	21.132	0.0001
	At most 1	0.0038	6.459	15.495	0.6412	5.364	14.265	0.6953
EUR/USD	None	0.2485	514.586***	29.797	0.0001	506.851***	21.132	0.0001
	At most 1	0.0043	7.736	15.495	0.4941	7.599	14.265	0.4210
JPY/USD	None	0.0979	194.033***	29.797	0.0001	182.670***	21.132	0.0001
	At most 1	0.0053	11.362	15.495	0.1902	9.432	14.265	0.252

continued

Currency Pair	Hypothesized No. of CE(s)	Eigen-value	Trace Statistic	Critical Value 95% (Trace)	p-value	Max-Eigen Statistic	Critical Value 95% (Max-Eigen)	p-value
GBP/USD	None	0.1578	330.252***	29.797	0.0001	296.696***	21.132	0.0001
	At most 1	0.0179	33.556***	15.495	0.0000	31.210***	14.265	0.0001
	At most 2	0.0014	2.346	3.841	0.1256	2.346	3.841	0.1256
CHF/USD	None	0.1024	191.293***	29.797	0.0001	179.600***	21.132	0.0001
	At most 1	0.0055	11.693	15.495	0.1723	9.187	14.265	0.2709
SEK/USD	None	0.2102	413.578***	29.797	0.0001	401.338***	21.132	0.0001
	At most 1	0.0045	12.240	15.495	0.1458	7.655	14.265	0.4149
CAD/USD	None	0.1239	241.475***	29.797	0.0001	232.717***	21.132	0.0001
	At most 1	0.0041	8.758	15.495	0.3882	7.254	14.265	0.4595

Notes: The trace statistic tests the null hypothesis that there is r cointegrating vectors against the alternative that there is generally more than r cointegrating vectors. While in the maximum eigenvalue test the null hypothesis is that there is r against the alternative $r + 1$ cointegrating vectors. CE is cointegrating equation. *** denotes significance at the 1% level. p-values are based on MacKinnon-Haug-Michelis (1999). We select the number of lags as follows: a Vector Autoregressive model (VAR) is estimated for the levels of the three variables and then the optimal number of lags is evaluated based on information criteria including the sequential modified LR test statistic, final prediction error, Akaike information criterion, Schwarz information criterion and the Hannan-Quinn information criterion. Finally, the optimal lag length is chosen where the majority of the information criteria indicate the same number of lags. This also holds for the cointegration results in other tables.

Table 5 Co-integration Coefficients Normalized on CNP

Panel A: Co-integration Coefficients					Panel B: Co-integration Coefficients Significance Test				
	CNP	LogF	LogS	Cons		CNP	LogF	LogS	
INR/USD	1.00	152.41 [16.87]	-154.66 [-16.61]	8.399	Chi-square p-value	42.28*** 0.0000	208.16*** 0.0000	208.21*** 0.0000	
BRL/USD	1.00	328.22 [10.17]	-332.72 [-10.18]	1.288	Chi-square p-value	6.15** 0.0131	89.49*** 0.0000	89.51*** 0.0000	
MYR/USD	1.00	563.10 [18.49]	-562.53 [-18.73]	-1.223	Chi-square p-value	43.99*** 0.0000	249.34*** 0.0000	249.55*** 0.0000	
ZAR/USD	1.00	14.49 [10.38]	-14.60 [-10.40]	0.226	Chi-square p-value	8.52*** 0.0035	93.66*** 0.0000	93.66*** 0.0000	
CLP/USD	1.00	109.58 [10.48]	-110.93 [-10.69]	8.357	Chi-square p-value	28.54*** 0.0000	54.51*** 0.0000	54.63*** 0.0000	
MXN/USD	1.00	59.47 [14.02]	-59.64 [-14.01]	0.391	Chi-square p-value	11.13*** 0.0008	170.29*** 0.0000	170.34*** 0.0000	
EUR/USD	1.00	-717.16 [-24.22]	713.63 [24.20]	-1.189	Chi-square p-value	2.94* 0.0863	499.18*** 0.0000	499.10*** 0.0000	
JPY/USD	1.00	-132.30 [-14.11]	131.68 [14.12]	2.622	Chi-square p-value	9.45*** 0.0021	173.22*** 0.0000	173.22*** 0.0000	
GBP/USD	1.00	559.64 [17.97]	-557.65 [-17.95]	1.137	Chi-square p-value	1.184 0.2765	265.46*** 0.0000	265.47*** 0.0000	

continued

Panel A: Co-integration Coefficients					Panel B: Co-integration Coefficients Significance Test				
	CNP	LogF	LogS	Cons		CNP	LogF	LogS	
CHF/USD	1.00	-86.50 [-13.98]	86.34 [14.01]	-0.110	Chi-square p-value	6.92*** 0.0085	170.41*** 0.0000	170.39*** 0.0000	
SEK/USD	1.00	-57.46 [-21.47]	57.09 [21.45]	0.730	Chi-square p-value	10.40*** 0.0013	393.68*** 0.0000	393.67*** 0.0000	
CAD/USD	1.00	1203.25 [25.72]	-1199.55 [-25.74]	-0.209	Chi-square p-value	2.67 0.1023	555.52*** 0.0000	555.65*** 0.0000	

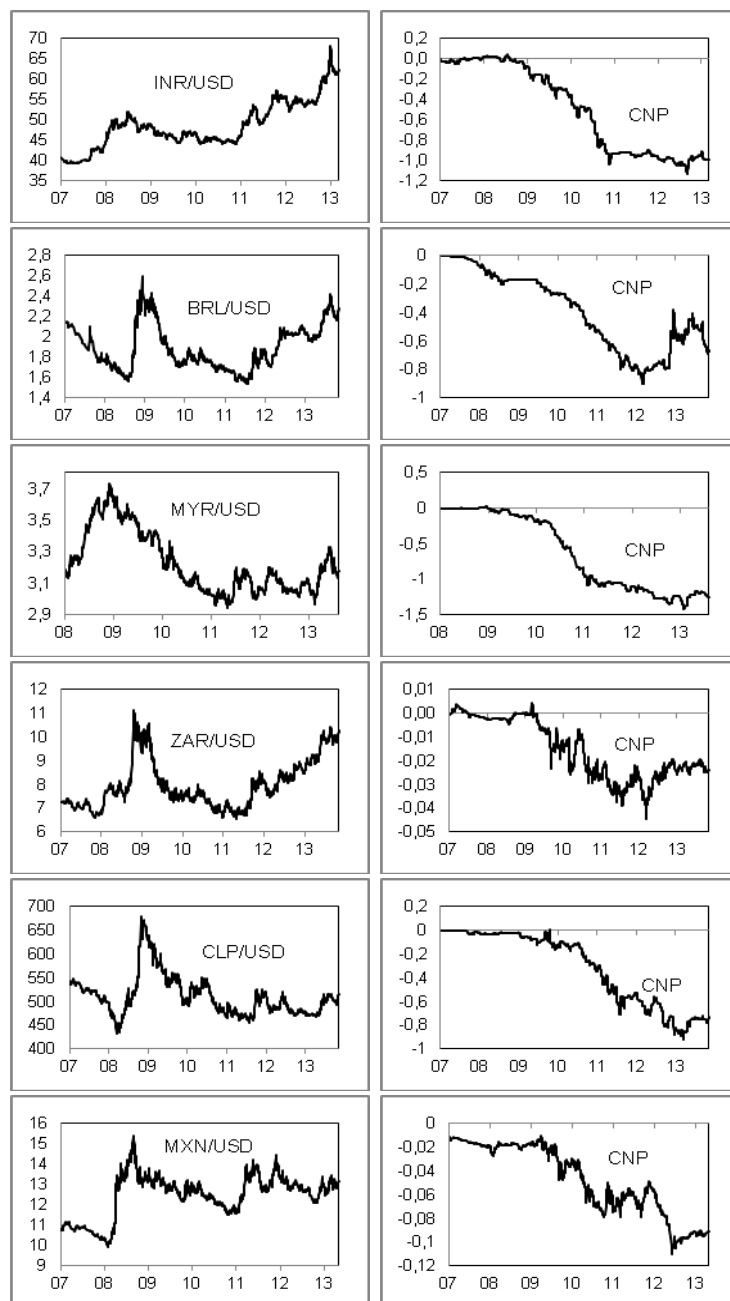
Notes: Panel A: cointegrating coefficients are normalized on CNP, Cons is constant, t-statistics in brackets. Panel B: ***, ** and * denote significance at the 1%, 5% and 10% significance levels, respectively. The US dollar is the base currency.

Table 6 Co-integration Equation Corresponding to Table 5

INR/USD	$CNP = 154.66 \text{ Log}S - 152.41 \text{ Log}F - 8.399$ $CNP = 152.41 (\text{Log}S - \text{Log}F) + 2.24 \text{ Log}S - 8.399$ $CNP = 152.41 \text{ Log}(S/F) + 2.24 \text{ Log}S - 8.399$
BRL/USD	$CNP = 332.72 \text{ Log}S - 328.22 \text{ Log}F - 1.288$ $CNP = 328.22 (\text{Log}S - \text{Log}F) + 4.5 \text{ Log}S - 1.288$ $CNP = 328.22 \text{ Log}(S/F) + 4.5 \text{ Log}S - 1.288$
MYR/USD	$CNP = 562.53 \text{ Log}S - 563.10 \text{ Log}F + 1.223$ $CNP = 562.53 (\text{Log}S - \text{Log}F) - 0.57 \text{ Log}F + 1.223$ $CNP = 562.53 \text{ Log}(S/F) - 0.57 \text{ Log}F + 1.223$
ZAR/USD	$CNP = 14.60 \text{ Log}S - 14.49 \text{ Log}F - 0.226$ $CNP = 14.49 (\text{Log}S - \text{Log}F) + 0.11 \text{ Log}S - 0.226$ $CNP = 14.49 \text{ Log}(S/F) + 0.11 \text{ Log}S - 0.226$
CLP/USD	$CNP = 110.93 \text{ Log}S - 109.58 \text{ Log}F - 8.357$ $CNP = 109.58 (\text{Log}S - \text{Log}F) + 1.35 \text{ Log}S - 8.357$ $CNP = 109.58 \text{ Log}(S/F) + 1.35 \text{ Log}S - 8.357$
MXN/USD	$CNP = 59.64 \text{ Log}S - 59.47 \text{ Log}F - 0.391$ $CNP = 59.47 (\text{Log}S - \text{Log}F) + 0.17 \text{ Log}S - 0.391$ $CNP = 59.47 \text{ Log}(S/F) + 0.17 \text{ Log}S - 0.391$
EUR/USD	$CNP = 717.16 \text{ Log}F - 713.63 \text{ Log}S + 1.189$ $CNP = 713.63 (\text{Log}F - \text{Log}S) + 3.53 \text{ Log}F + 1.189$ $CNP = 713.63 \text{ Log}(F/S) + 3.53 \text{ Log}F + 1.189$
JPY/USD	$CNP = 132.30 \text{ Log}F - 131.68 \text{ Log}S - 2.622$ $CNP = 131.68 (\text{Log}F - \text{Log}S) + 0.62 \text{ Log}F - 2.622$ $CNP = 131.68 \text{ Log}(F/S) + 0.62 \text{ Log}F - 2.622$
GBP/USD	$CNP = 557.65 \text{ Log}S - 559.64 \text{ Log}F - 1.137$ $CNP = 557.65 (\text{Log}S - \text{Log}F) - 1.99 \text{ Log}F - 1.137$ $CNP = 557.65 \text{ Log}(S/F) - 1.99 \text{ Log}F - 1.137$
CHF/USD	$CNP = 86.50 \text{ Log}F - 86.34 \text{ Log}S + 0.110$ $CNP = 86.34 (\text{Log}F - \text{Log}S) + 0.16 \text{ Log}F + 0.110$ $CNP = 86.34 \text{ Log}(F/S) + 0.16 \text{ Log}F + 0.110$
SEK/USD	$CNP = 57.46 \text{ Log}F - 57.09 \text{ Log}S - 0.730$ $CNP = 57.09 (\text{Log}F - \text{Log}S) + 0.37 \text{ Log}F - 0.730$ $CNP = 57.09 \text{ Log}(F/S) + 0.37 \text{ Log}F - 0.730$
CAD/USD	$CNP = 1199.55 \text{ Log}S - 1203.25 \text{ Log}F + 0.209$ $CNP = 1199.55 (\text{Log}S - \text{Log}F) - 3.7 \text{ Log}F + 0.209$ $CNP = 1199.55 \text{ Log}(S/F) - 3.7 \text{ Log}F + 0.209$

Note: See notes to Table 4.

Figure 3 Spot Exchange Rate and Corresponding *CNP*



Notes: The left-hand-side graphs are spot rates. The right-hand-side graphs are the corresponding cumulative net positions in billions of US dollars; *CNP*. The US dollar is the base currency in all cases.

currency against these emerging-market currencies over our sample period, i.e. it is a forward premium-quoted currency, these long-run equilibrium relationships imply that the record-low US interest rate was being exploited against the higher rates of these emerging markets through USD carry trading.

In order to demonstrate this point and further illustrate the direction of carry trading in these positions, *Figure 3* depicts the *CNP* for every emerging-market currency along with the corresponding spot exchange rate. Over our sample period, it is clear that USD is almost consistently on the short side of the position. Most importantly, USD carry trading in these positions appears obvious upon observing the behavior of the *CNP*, where it is typically on a downward trend. This is consistent with the US dollar being the funding currency. We also note that the downward trend of the *CNP* is associated with periods over which the US dollar exhibits a depreciation trend. On the other hand, a change in the *CNP*'s behavior can be noticed for some currencies approximately after mid-2011, the period in which we can note an appreciation trend in the US dollar. This change in the *CNP* trend can imply a change in the trading strategy and thus reflect the actions of position takers to reduce carry trade losses resulting from the appreciation of the funding currency (USD) even though these actions could contribute to further funding currency appreciation.

For developed-market currencies, on the other hand, the cointegration equations imply patterns which are opposite to the carry trading condition, i.e. the forward discount-quoted currency is associated with more short positions and vice versa. This trading style is indeed consistent with the uncovered interest rate parity condition which implies that a low-interest-rate currency should appreciate against a high-interest-rate currency. Although the equations for the GBP/USD and CAD/USD cases appear to satisfy the carry trading condition, the *CNP* variable in these two cases has insignificant cointegration coefficients as shown in Panel B of *Table 5*. In other words, the resulting cointegration equations for these two cases come only from the *LogS* and *LogF* variables.

In accordance with the literature on the currency carry trading determinants, we argue that the reasons behind the anti-carry USD/developed-market currency positions are the increased uncertainty which followed the recent financial crisis in these markets and the narrow interest-rate differentials during the vast majority of the sample period, especially from late-2008 onwards. The reasoning behind our argument comes from the dependence of currency carry trading payoffs on exchange-rate volatility as well as interest-rate differentials (see, for example, Menkhoff *et al.*, 2012; Clarida *et al.*, 2009; Coudert and Mignon, 2013; Spronk *et al.*, 2013; Hoffmann, 2012; Gilmore and Hayashi, 2011; Brière and Drut, 2009). Specifically, with a low interest-rate differential, a slight adverse exchange-rate movement would wipe out any gains from the interest-rate differential. But with a relatively high interest-rate differential, the exchange rate needs a large adverse movement to cancel out the interest-rate differential, creating space for profitable currency carry trades even with minor adverse movements in the exchange rate. In this sense, it is not enough for a currency to be at a forward premium or discount in order for position takers to decide to engage in currency carry trades, as the magnitude of the forward premium/discount is also important.

Table 7 Drivers of Net Positions

	INR	BRL	MYR	ZAR	CLP	MXN
C	-0.51 (-1.59)	0.01 (0.02)	-1.17*** (-2.75)	0.00 (-0.07)	-0.38 (-1.32)	-0.06 (-1.35)
Carry ₋₁	-0.37 (-1.43)	-0.81** (-2.21)	0.14 (0.10)	-0.09** (-2.02)	-0.48 (-0.99)	0.00 (0.06)
Δs_{-1}	1.32*** (4.05)	0.44* (1.81)	2.26*** (3.78)	0.10*** (4.40)	0.94*** (3.39)	0.22*** (3.98)
NP ₋₁	0.14*** (3.80)	0.16*** (5.83)	0.16*** (4.35)	0.04* (1.72)	0.29*** (11.07)	0.03 (1.17)
Carry ₋₂	-0.46 (-1.23)	-0.19 (-0.48)	-5.17*** (-2.66)	0.04 (0.86)	0.44 (0.82)	0.08 (0.85)
R^2	0.000	0.003	0.046	0.002	0.000	0.016
	EUR	JPY	GBP	CHF	SEK	CAD
C	0.10 (0.77)	0.14 (1.15)	-0.11 (-0.74)	0.08 (0.75)	0.00 (0.06)	-0.20* (-1.92)
Carry ₋₁	1.08** (2.55)	0.59* (1.87)	0.87* (1.87)	0.60** (1.97)	0.13 (1.07)	0.32 (0.95)
Δs_{-1}	0.25 (1.12)	0.61*** (3.37)	-0.17 (-0.74)	0.03 (0.17)	0.14** (2.53)	0.26* (1.67)
NP ₋₁	-0.10*** (-4.31)	-0.03 (-1.21)	0.19*** (4.27)	-0.20*** (-8.25)	0.11*** (4.48)	0.36*** (15.93)
Carry ₋₂	-0.27 (-0.59)	-0.17 (-0.50)	-0.40 (-0.76)	0.06 (0.17)	0.03 (0.21)	-0.09 (-0.27)
R^2	0.003	0.007	0.037	0.002	0.000	0.129

Notes: The table reports the OLS estimation results for the regression of net positions, NP_t , (in millions of US dollars) against the lagged carry, $Carry_{t-1}$, (lagged forward premium), lagged spot return, Δs_{t-1} , lagged net position, NP_{t-1} , second lagged carry, $Carry_{t-2}$, t-statistic in parentheses.

Menkhoff *et al.* (2016) study the relationship between different FX end-user (spot) order flows and several lagged explanatory variables with the aim of identifying the trading styles implied by these flows. They find different trading strategies among their customer groups. For example, asset managers are found to be trading against the interest-rate differential and are best characterized as trend followers. Surprisingly, the authors find that carry trading is not the dominant trading style for hedge funds and that corporate customers trade with the interest-rate differential. Their final customer group of private clients are found to be best described as contrarians.

In order to shed more light on the drivers of our net positions and the direction they take, we run the regression of the net positions for every currency pair against the lagged forward premium (carry), lagged spot return and the lagged net position itself. We perform two regression specifications: in the first specification, the first lagged carry is the lone explanatory variable; in the second specification, the explanatory variables include the first and second lagged carry, lagged spot returns and lagged net positions. The estimation results are reported in *Table 7*.

For emerging-market currencies, the results of the first specification show that unlike MYR, which has insignificant positive coefficients on the lagged carry, and MXN, which has zero coefficient, BRL, ZAR, INR and CLP have negative coefficients. The coefficient for BRL and ZAR is significant at the 5% significance level, while for INR it is significant at about the 15% significance level. These negative coefficients mean that the net position is related to the lagged carry through a pattern of carry trading. Note that the strongest carry relation is for those currencies which have the highest interest rates. The results of the second specification show that the net position is significantly and positively related to the lagged spot return (for the six currency pairs) and to its own lagged net position (all currencies except MXN). The positive coefficients on the lagged spot return are consistent with trend-following trading. However, even after accounting for these additional variables, the coefficient on the first lagged carry remained significantly negative for BRL and ZAR, and for MYR the second lagged carry has a significantly negative coefficient.

For developed-market currencies, the lagged carry coefficient in the first specification is positive for all cases and it is significant for EUR, JPY, GBP and CHF. In the second specification, where the lagged spot return and lagged net position are accounted for, the lagged carry coefficient is significantly positive for the six currencies except SEK. These positive coefficients indicate an anti-carry trading pattern which is specifically consistent with trading on the uncovered interest parity condition. The estimation results of the second specification also show that the lagged spot return has a positive coefficient for all cases except GBP and it is significant for JPY, SEK and CAD. In addition, the lagged net position has significantly negative coefficients in the cases of EUR and CHF, but significantly positive coefficients in the cases of GBP, SEK and CAD.

Overall, these results show that even after accounting for the trend-following aspect of the positions, the carry remained influential and its effects are in different directions; while the carry effect tends to be in line with carry trading for emerging-market currencies, the effect is in line with “fundamentals-based” trading, i.e. UIP, for developed-market currencies. These different trading strategies for emerging- and

Table 8 Estimates of VECM (3)–(5)

	Adjustment Coefficients		
	ΔCNP	ΔLogF	ΔLogS
INR/USD	-0.00098 [-2.71]	-0.00274 [-8.89]	0.00052 [2.18]
BRL/USD	-0.00046 [-1.74]	-0.00080 [-2.38]	0.00094 [3.28]
MYR/USD	-0.00076 [-2.06]	-0.00063 [-3.21]	0.00048 [2.53]
ZAR/USD	-0.00089 [-1.35]	-0.00295 [-0.33]	0.03272 [4.08]
CLP/USD	-0.00010 [-0.13]	-0.00101 [-1.21]	0.00185 [2.40]
MXN/USD	0.00106 [2.85]	-0.00867 [-4.05]	0.00739 [4.11]

Notes: VECM is estimated as described by equations (3)–(5) in the methodology section, *t*-statistics in brackets. Boldface denotes significance minimally at the 10% level.

developed-market currencies give rise to the trend followers' trading behavior as introduced in the heterogeneous agents model of Spronk *et al.* (2013). The model consists of fundamentalists, who may form their expectations according to the UH; carry traders, who trade against the UH predictions; and chartists, who simply follow the dominant trend in the market. In our analysis for emerging-market currencies—where USD carry trading is very attractive—carry traders dominate the market trend. Consequently, CTAs, which are mainly trend followers, behave just like carry traders. On the other hand, for the currencies of developed countries, carry trading is unattractive, so the market is dominated by the fundamentalists who trade in accordance with the UH predictions. Thus, CTAs' USD dollar positions against these currencies once again follow the dominant, but very different, trend. Given these findings, the analysis will henceforth focus on emerging-market currencies where we have clear evidence of currency carry trade activities.

In order to evaluate the long-run relationships and investigate the direction of causality between our variables, we estimate the VECM and unrestricted VAR model as specified in the methodology section—see equations (3)–(5).

Table 8 reports the variables' adjustment coefficients. In the cases of INR/USD, BRL/USD, MYR/USD and MXN/USD, the three variables all have significant adjustment coefficients. This means that in the short run they respond significantly to the departure from the reported long-run equilibrium relationships. In the cases of ZAR/USD and CLP/USD, only the ΔLogS variable has significant coefficients.

Table 9 reports the results of the VAR Granger Causality/Block Exogeneity Wald test as described in the methodology section. This framework enables us to assess whether cumulative net forward positions could be driving the spot and forward rates in a way that could counter the strategy. For all currency pairs, the lags of the ΔCNP variable are jointly insignificant in the ΔLogF and ΔLogS equations, and

Table 9 VAR Granger Causality/Block Exogeneity Wald Tests

INR/USD			BRL/USD			MYR/USD		
Dependent variable: Δ CNP			Dependent variable: Δ CNP			Dependent variable: Δ CNP		
<i>Excluded</i>	<i>Chi-sq</i>	<i>p-value</i>	<i>Excluded</i>	<i>Chi-sq</i>	<i>p-value</i>	<i>Excluded</i>	<i>Chi-sq</i>	<i>p-value</i>
Δ LogF	0.71	0.7020	Δ LogF	7.23	0.4054	Δ LogF	8.45	0.0036
Δ LogS	4.18	0.1238	Δ LogS	7.13	0.4157	Δ LogS	1.54	0.2139
Both	16.28	0.0027	Both	17.97	0.2080	Both	19.24	0.0001
Dependent variable: Δ LogF			Dependent variable: Δ LogF			Dependent variable: Δ LogF		
<i>Excluded</i>	<i>Chi-sq</i>	<i>p-value</i>	<i>Excluded</i>	<i>Chi-sq</i>	<i>p-value</i>	<i>Excluded</i>	<i>Chi-sq</i>	<i>p-value</i>
Δ CNP	0.37	0.8312	Δ CNP	2.79	0.9037	Δ CNP	0.83	0.3616
Δ LogS	85.22	0.0000	Δ LogS	35.77	0.0000	Δ LogS	1.22	0.2690
Both	85.75	0.0000	Both	37.98	0.0005	Both	2.14	0.3424
Dependent variable: Δ LogS			Dependent variable: Δ LogS			Dependent variable: Δ LogS		
<i>Excluded</i>	<i>Chi-sq</i>	<i>p-value</i>	<i>Excluded</i>	<i>Chi-sq</i>	<i>p-value</i>	<i>Excluded</i>	<i>Chi-sq</i>	<i>p-value</i>
Δ CNP	3.00	0.2230	Δ CNP	2.21	0.9470	Δ CNP	2.31	0.1283
Δ LogF	29.87	0.0000	Δ LogF	337.66	0.0000	Δ LogF	35.48	0.0000
Both	32.85	0.0000	Both	344.12	0.0000	Both	37.91	0.0000

continued

ZAR/USD			CLP/USD			MXN/USD		
Dependent variable: Δ CNP			Dependent variable: Δ CNP			Dependent variable: Δ CNP		
Excluded	Chi-sq	p-value	Excluded	Chi-sq	p-value	Excluded	Chi-sq	p-value
Δ LogF	7.25	0.4030	Δ LogF	3.19	0.8673	Δ LogF	12.75	0.0472
Δ LogS	1.51	0.9821	Δ LogS	3.42	0.8440	Δ LogS	4.87	0.5599
Both	103.47	0.0000	Both	23.97	0.0462	Both	45.85	0.0000
Dependent variable: Δ LogF			Dependent variable: Δ LogF			Dependent variable: Δ LogF		
Excluded	Chi-sq	p-value	Excluded	Chi-sq	p-value	Excluded	Chi-sq	p-value
Δ CNP	4.11	0.7665	Δ CNP	5.05	0.6536	Δ CNP	2.66	0.8498
Δ LogS	16.77	0.0190	Δ LogS	53.42	0.0000	Δ LogS	55.38	0.0000
Both	21.00	0.1015	Both	59.30	0.0000	Both	57.99	0.0000
Dependent variable: Δ LogS			Dependent variable: Δ LogS			Dependent variable: Δ LogS		
Excluded	Chi-sq	p-value	Excluded	Chi-sq	p-value	Excluded	Chi-sq	p-value
Δ CNP	6.00	0.5398	Δ CNP	5.28	0.6253	Δ CNP	5.32	0.5030
Δ LogF	255.73	0.0000	Δ LogF	112.87	0.0000	Δ LogF	413.72	0.0000
Both	260.21	0.0000	Both	117.48	0.0000	Both	422.12	0.0000

Notes: The test details are described in the methodology section; see equations (3)–(5). 'Both' is lags of the respective independent variables taken together.

Table 10 Payoff Descriptive Statistics

	Mean	Std. dev.	Skewness	Kurtosis	Jarque-Bera p-value	Sharpe ratio	Sortino ratio
INR/USD	0.333	15.430	-5.602	113.142	0.0000	0.022	0.026
BRL/USD	0.008	0.824	-6.605	179.587	0.0000	0.010	0.013
MYR/USD	0.026	0.684	-2.425	57.954	0.0000	0.039	0.053
ZAR/USD	-0.010	0.396	-1.096	60.922	0.0000	-0.026	-0.035
CLP/USD	1.162	157.299	-1.586	77.512	0.0000	0.007	0.010
MXN/USD	0.010	1.041	-4.860	124.774	0.0000	0.009	0.012
US Stock market	0.031	1.487	-0.118	10.554	0.0000	0.021	0.029

Notes: Payoffs are in millions of quote currency (the US dollar is the base currency). US Stock market is the market premium ($Mkt - RF$) on value weighted portfolio of US stock obtained from French's data library.

thus could be excluded from the equations without losing relevant information. Also, these results suggest that ΔCNP does not Granger cause $\Delta LogF$ or $\Delta LogS$. On the other hand, for the equation of the ΔCNP variable we note that, at least, either the lags of the $\Delta LogF$ variable are jointly significant or the lags of the two variables taken together are jointly significant; “Both” cannot be excluded from the ΔCNP equation. One exception is the BRL/USD case, where neither the lags of the two variables taken separately nor taken together are jointly significant. The results of this test shed light on the endogeneity of the CNP variable, at least in the short run. In addition, the lack of any adverse casual effect from forward shorting to the forward rate implies that the strategy pays off on average.

4.2 Currency Carry Trading Payoffs

Several studies investigate the performance and properties of currency carry trade returns. These studies are mainly based on synthetic carry positions. Generally, they create carry trade portfolios by sorting currencies periodically according to the forward premium/discount and then they assume short positions in lower-yielding currencies and long positions in higher-yielding currencies. The resulting payoffs from these positions are found to be, on average, profitable with relatively high Sharpe ratios and they have high kurtosis and negative skewness (see, for example, Burnside *et al.*, 2006, 2008, 2011; Menkhoff *et al.*, 2012). In this section, we evaluate and explore the characteristics of payoffs generated from the carry positions against the emerging-market currencies.

We calculate the daily-aggregated payoff of our actual USD positions against every emerging-market currency as in equation (6). The properties of the calculated payoffs are then compared to the results of the earlier studies that rely on synthetic trading. We then have six currency-specific carry trades. In *Table 10* we report the main descriptive statistics of the payoffs for each currency pair. For comparison purposes, we also report the same statistics for excess returns of a value-weighted portfolio of US stocks obtained from Kenneth French's website.

For all currency pairs, except for the case of ZAR/USD, the Sharpe ratios are positive. The INR/USD and MYR/USD pairs beat the US stock market based

on the Sharpe ratio. Carry trading payoffs exhibit positive kurtosis and negative skewness. Moreover, in all cases, except for MYR/USD, the Sortino ratios are lower than that of the US stock market, indicating that they are more subject to large losses. Jarque-Bera p -values indicate that distributions are far from being normal.

The negative skewness of currency carry trading payoffs reflects a higher likelihood of large negative outcomes. This results from the tendency of target currencies to occasionally depreciate against the funding currency, which in turn results in large occasional negative profits. This payoff behaviour implies that currency carry trades are subject to so-called downside risk. Gyntelberg and Remolona (2007) and Brunnermeier *et al.* (2008) also find that currency carry trades are exposed to crash risk.

Our results of positive Sharpe ratios, high kurtosis and negative skewness are consistent with many studies which investigate the properties of currency carry trading payoffs, and confirm the common description of currency carry trading payoffs as being “picking up pennies in front of a truck”.

5. Conclusion

Currency trading strategies in general and carry trades in particular have been of interest to many researchers. In this paper, we make use of a unique dataset consisting of daily-aggregated forward positions in the US dollar against several emerging- and developed-market currencies. The dataset is collected from RPM, a specialist investment manager based in Stockholm, Sweden. Our aim is to investigate whether these positions exhibit a carry trading behavior in which the US dollar represents the funding currency in response to the low US interest rates or if other trading styles can be identified.

By applying Johansen multivariate cointegration analysis, we find long-run equilibrium relationships between the USD/emerging-market currency forward positions and the forward premium/discount meeting the carry trading condition, which involves going short in currencies that are at a forward premium and going long in currencies that are at a forward discount. Furthermore, the USD forward positions against those emerging market currencies exhibit short position trends, implying a carry trade direction in which the USD represents the funding currency.

On the other hand, the cointegrated relationships for the developed market currencies exhibit a completely different pattern. Contrary to the carry trading condition, the relationships for these market currencies imply that a higher-yielding currency is associated with more short positions and vice versa. This pattern is indeed a “fundamentals-based” trading style which is line with the condition of the uncovered interest parity. We argue that the simultaneous low interest-rate differentials between the developed-market currencies and US dollar along with the increased uncertainty over the period after the recent financial crisis for these markets are possible reasons for this anti-carry pattern.

In sum, these findings suggest that over the recent period of ultra-loose US monetary policy, FX traders could have the tendency to engage in USD carry trading against emerging-market currencies but not against developed-market currencies, where they are found to follow a completely different trading style. The findings also provide more direct evidence on carry trades by explicitly relating forward positions to the carry. One of the most important implications of currency carry trades is their

effect on the stability of the FX market, especially in times of unwinding carry positions. So, tracking carry trades is important because it can provide us with a better understanding of the FX market volatility dynamics. Moreover, tracking carry trades is relevant to potential target countries that usually tend to take actions against the undesirable influences of such speculative activities. These actions may include capital flow restrictions, taxation of foreign investments and limitations on foreign holdings. In this sense, evaluating and examining the alternative measures which can be taken along with their effectiveness can be the focus of future research.

Finally, we evaluate the realized payoffs of the actual USD positions against every emerging-market currency. We find that five out of six currency pairs yield positive Sharpe ratios, with two cases—INR/USD and MYR/USD—producing Sharpe ratios larger than the Sharpe ratio of a value-weighted portfolio of US stocks. In addition, the payoff distributions for all cases exhibit high kurtosis and negative skewness, similarly to previous studies that employed synthetic currency carry trade positions.

APPENDIX

Test of Restriction on the Cointegrating Vector

	Panel A Co-integration coefficients				Panel B Test of the restriction	
	<i>LogF</i>	<i>LogS</i>	<i>CNP</i>	Cons		
INR/USD	1.00	-1.0148 [-301.15]	0.0066 [7.36]	0.0551	chi-square	17.78
					<i>p</i> -value	0.0000
BRL/USD	1.00	-1.0137 [-390.82]	0.0030 [2.61]	0.0039	chi-square	21.68
					<i>p</i> -value	0.0000
MYR/USD	1.00	-0.9990 [-454.78]	0.0018 [7.34]	-0.0022	chi-square	0.20
					<i>p</i> -value	0.6536
ZAR/USD	1.00	-1.0078 [-440.87]	0.0690 [3.08]	0.0156	chi-square	10.31
					<i>p</i> -value	0.0013
CLP/USD	1.00	-1.0123 [-195.38]	0.0091 [7.18]	0.0763	chi-square	4.83
					<i>p</i> -value	0.0280
MXN/USD	1.00	-1.0028 [-620.76]	0.0168 [3.44]	0.007	chi-square	2.93
					<i>p</i> -value	0.0871
EURO/USD	1.00	-0.9951 [-747.70]	-0.0014 [-1.72]	0.0017	chi-square	13.15
					<i>p</i> -value	0.0003
JPY/USD	1.00	-0.9953 [-1226.27]	-0.0076 [-3.21]	-0.0198	chi-square	27.72
					<i>p</i> -value	0.0000
GBP/USD	1.00	-0.9964 [-823.33]	0.0018 [0.98]	0.0020	chi-square	7.66
					<i>p</i> -value	0.0056
CHF/USD	1.00	-0.9981 [-824.01]	-0.0116 [-2.75]	0.0013	chi-square	2.39
					<i>p</i> -value	0.1220
SEK/USD	1.00	-0.9934 [-927.74]	-0.0174 [-3.30]	-0.0127	chi-square	34.11
					<i>p</i> -value	0.0000
CAD/USD	1.00	-0.9969 [-949.56]	0.0008 [1.64]	-0.0002	chi-square	8.35
					<i>p</i> -value	0.0039

Notes: Panel A in this table reports the cointegrating coefficients normalized on the *LogF* variable. Then we test for the restriction of (1,-1) on *LogF* and *LogS* coefficients. Panel B reports the Wald test statistic at the 5% significance level; the restriction cannot be rejected for the cases of MYR/USD, MXN/USD and CHF/USD. In the other cases, the restriction is significantly rejected, though *LogS* coefficients are economically close to -1.

REFERENCES

- Aizenman J, Binici M, Hutchison MM (2014): The Transmission of Federal Reserve Tapering News to Emerging Financial Markets. *NBER Working Paper*, no. 19980.
- Akram QF, Rime D, Sarno L (2008): Arbitrage in the foreign exchange market: Turning on the microscope. *Journal of International Economics*, 76(2):237–253.
- Beranger F, Galati G, Tsatsaronis K, Kleist K von (1999): The yen carry trade and recent foreign exchange market volatility. *BIS Quarterly Review*, (March):33–37.
- Berge TJ, Jordà Ò, Taylor AM (2010): Currency carry trades. *NBER Working Paper*, no. 16491
- Bilson J (2013): Adventures in the Carry Trade. Available at: <http://www.cmegroup.com/education/files/bilson-adventures-in-the-carry-trade.pdf>
- Breedon F, Rime D, Vitale P (2016): Carry trades, order flow and the forward bias puzzle. *Journal of Money, Credit and Banking*, DOI: 10.1111/jmcb.12328.
- Brière M, Drut B (2009): The Revenge of Purchasing Power Parity on Carry Trades during Crises. *CEB Working paper*, no. 09/013.
- Brooks C (2008): *Introductory econometrics for finance*. Cambridge University Press.
- Brunnermeier MK, Nagel S, Pedersen LH (2008): Carry trades and currency crashes. *NBER Working Paper*, no. 14473.
- Burnside C (2008): Carry trades and currency crashes: A comment. *NBER Macroeconomics Annual*, 23:349–359.
- Burnside C (2011): Carry trades and risk. *NBER Working Paper*, no. 17278.
- Burnside C, Eichenbaum M, Rebelo S (2008): Carry trade: The gains of diversification. *Journal of the European Economic Association*, 6(2-3):581–588.
- Burnside C, Eichenbaum M, Rebelo S (2011): Carry trade and momentum in currency markets. *Annual Review of Financial Economics*, 3(1):511–535.
- Burnside C, Eichenbaum M, Kleshchelski I, Rebelo S (2006): The returns to currency speculation. *NBER Working Paper*, no. 12489.
- Burnside C, Eichenbaum M, Kleshchelski I, Rebelo S (2011): Do peso problems explain the returns to the carry trade? *Review of Financial Studies*, 24(3):853–891.
- Cavallo M (2006): Interest rates, carry trades, and exchange rate movements. FRB of San Francisco, *FRBSF Economic Letter*, no. 2006-31.
- Christiansen C, Rinaldo A, Soderlind P (2011): The time-varying systematic risk of carry trade strategies. *Journal of Financial and Quantitative Analysis*, 46(4):1107–1125.
- Curcuru S, Vega C, Hoek J (2010): Measuring carry trade activity. *IFC Bulletin*, 34.
- Dickey DA, Fuller WA (1979): Distribution of the estimators for autoregressive time series with a unit root. *Journal of the American Statistical Association*, 74(366a):427–431.
- Doskov N, Swinkels L (2015): Empirical evidence on the currency carry trade, 1900–2012. *Journal of International Money and Finance*, 51:370–389.
- Eichenbaum M, Burnside C, Rebelo S (2007): The returns to currency speculation in emerging markets. *American Economic Review*, 97(2):333–338.
- Engle RF, Granger CW (1987): Co-integration and error correction: representation, estimation, and testing. *Econometrica*, 55:251–276.
- Evans MDD, Lyons RK (2002): Order flow and exchange rate dynamics. *Journal of Political Economy*, 110(1):170–180.
- Fama EF (1984): Forward and spot exchange rates. *Journal of Monetary Economics*, 14(3):319–338.
- Farooqui MS (2012): *The Yen/Dollar Carry Trade: Carrying the UIP Condition Too Far?* Available at SSRN 2183438 (http://papers.ssrn.com/sol3/papers.cfm?abstract_id=2183438).

- Gagnon JE, Chaboud AP (2007): What can the data tell us about carry trades in Japanese yen? Board of Governors of the Federal Reserve System, *International Finance Discussion Papers*, no. 899.
- Galati G, Melvin M (2004): Why has FX trading surged? Explaining the 2004 triennial survey. *BIS Quarterly Review*, (December):67–74.
- Galati G, Heath A, McGuire P (2007): Evidence of carry trade activity. *BIS Quarterly Review*, (September):27–41.
- Gilmore S, Hayashi F (2011): Emerging Market Currency Excess Returns. *American Economic Journal: Macroeconomics*, 3(4):85–111.
- Granger CW (1969): Investigating causal relations by econometric models and cross-spectral methods. *Econometrica*, 37:424–438.
- Green P (1992): Is currency trading profitable? Exploiting deviations from uncovered interest parity. *Financial Analysts Journal*, 48(4):82–86.
- Gyntelberg J, Remolona E (2007): Risk in carry trades: a look at target currencies in Asia and the Pacific. *BIS Quarterly Review*, (December):73–82.
- Heath A, Galati G, McGuire P (2007): Evidence of Carry Trade Activity. *BIS Quarterly Review*, (September):27–41.
- Hochradl M, Wagner C (2010): Trading the forward bias: Are there limits to speculation? *Journal of International Money and Finance*, 29(3):423–441.
- Johansen S (1988): Statistical analysis of cointegration vectors. *Journal of Economic Dynamics and Control*, 12(2):231–254.
- Johansen S (1991): Estimation and hypothesis testing of cointegration vectors in Gaussian vector autoregressive models. *Econometrica*, 59:1551–1580.
- Johansen S (1995): *Likelihood-based Inference in Cointegrated Vector Autoregressive Models*. Oxford, Oxford University Press.
- Jylhä P, Suominen M (2011): Speculative capital and currency carry trades. *Journal of Financial Economics*, 99(1):60–75.
- Kim S (2015): Australian Dollar carry trades: Time varying probabilities and determinants. *International Review of Financial Analysis*, 40:64–75.
- Klitgaard T, Weir L (2004): Exchange rate changes and net positions of speculators in the futures market. FRB of New York, *FRBNY Economic Policy Review*, 10(1):17–28.
- Koijen RS, Moskowitz TJ, Pedersen LH, Vrugt EB (2013): Carry. *NBER Working Paper*, no. 19325.
- Lustig H, Verdelhan A (2007): The cross section of foreign currency risk premia and consumption growth risk. *American Economic Review*, 97(1):89–117.
- Lyons RK (2001): *The microstructure approach to exchange rates*. The MIT press.
- MacKinnon JG (1996): Numerical distribution functions for unit root and cointegration tests. *Journal of Applied Econometrics*, 11:601–618.
- Mackinnon JG, Haug AA, Michelis L (1999): Numerical Distribution Functions of Likelihood Ratio Tests for Cointegration. *Journal of Applied Econometrics*, 14:563–577.
- McGuire P, Upper C (2007): Detecting FX carry trades. *BIS Quarterly Review*, (March):8–9.
- Menkhoff L, Sarno L, Schmeling M, Schrimpf A (2012): Carry trades and global foreign exchange volatility. *Journal of Finance*, 67(2):681–718.
- Menkhoff L, Sarno L, Schmeling M, Schrimpf A (2016): Information Flows in Dark Markets: Dissecting Customer Currency Trades. *Journal of Finance*, 71(2):601–634.
- Mishra P, Moriyama K, Nguyen L (2014): Impact of Fed Tapering Announcements on Emerging Markets. *IMF Working Paper*, no. 14/109.
- Moore MJ, Roche MJ (2012): When does uncovered interest parity hold? *Journal of International Money and Finance*, 31(4):865–879.

- Nishigaki H (2007): Relationship between the yen carry trade and the related financial variables. *Economics Bulletin*, 13(2):1–7.
- Phillips PC, Perron P (1988): Testing for a unit root in time series regression. *Biometrika*, 75(2): 335–346.
- Plantin G, Shin H (2007): *Carry trades and speculative dynamics*. Available at SSRN 898412.
- Pojarliev M (2005): Performance of currency trading strategies in developed and emerging markets: some striking differences. *Financial Markets and Portfolio Management*, 19(3):297–311.
- Ranaldo A, Soderlind P (2010): Safe haven currencies. *Review of Finance*, 14:385–407.
- Sarno L, Valente G, Leon H (2006): Nonlinearity in deviations from uncovered interest parity: an explanation of the forward bias puzzle. *Review of Finance*, 10(3):443–482.
- Spronk R, Verschoor WFC, Zwinkels RCJ (2013): Carry trade and foreign exchange rate puzzles. *European Economic Review*, 60:17–31.
- Villanueva OM (2007): Forecasting currency excess returns: can the forward bias be exploited? *Journal of Financial and Quantitative Analysis*, 42(04):963–990.